

Update on the Higgs Invisible Measurement

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Outline

- Motivation
- MC Simulation and sample
- Event selection of three channels
- The upper limit and BMR
- Summary

Motivation

- The Higgs decay invisible in SM is via four neutrino, with $BR=0.106\%$.
- Many new physics models predict a significant branching ratio of Higgs to invisible.
- ATLAS upper limit $\sim 26\%$, CMS upper limit $\sim 19\%$ for $BR(\text{Higgs} \rightarrow \text{inv})$ at 95% C.L.
- The upper limit of $BR(\text{Higgs} \rightarrow \text{inv})$ will be two orders of magnitude smaller on CEPC
- Higgs invisible decay is a sensitive probe for new physics.

Monte Carlo Simulation

- CEPC_V4($\sqrt{s} \sim 240\text{GeV}$, Solenoidal field $\sim 3\text{T}$)
- Run about 7 years and produce a total of 1 million Higgs bosons
- Generator: Whizard 1.95 (with ISR, Lumi 5.6 ab^{-1} , $M_H = 125\text{GeV}$)
- All Higgs boson signal samples and part of the leading background samples are processed with Geant4. The rest of backgrounds are simulated with fast simulation.
- Reconstruction: Marlin and ArborPFA

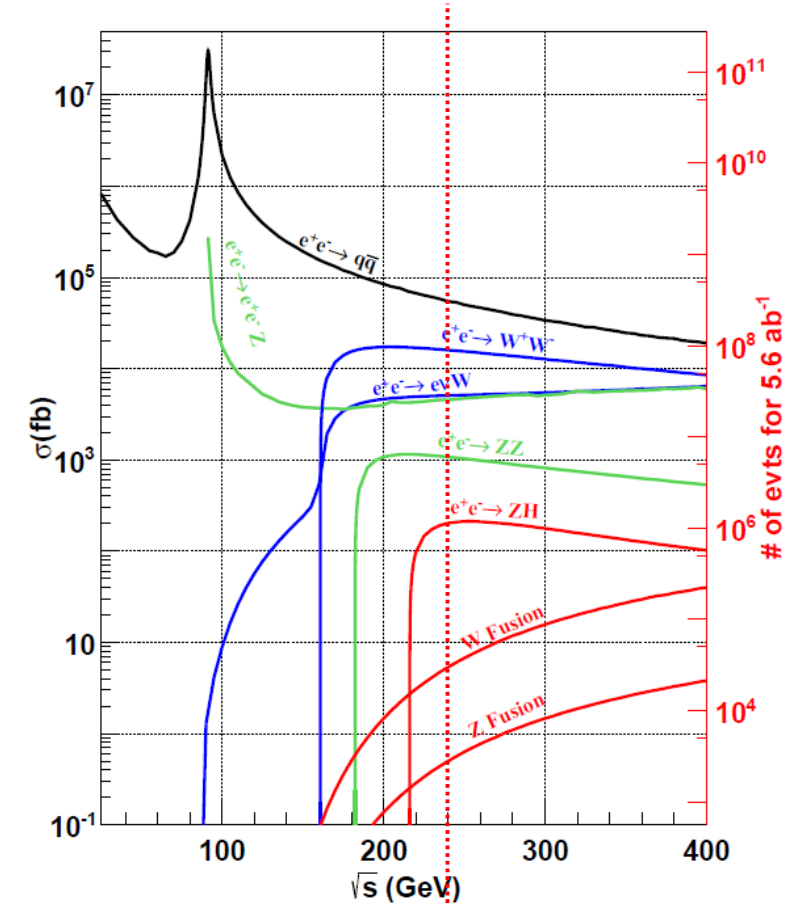
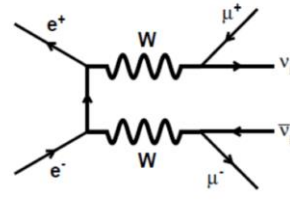
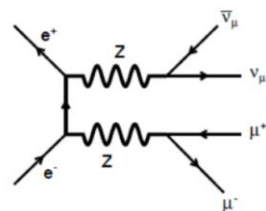
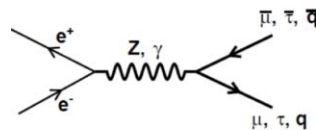
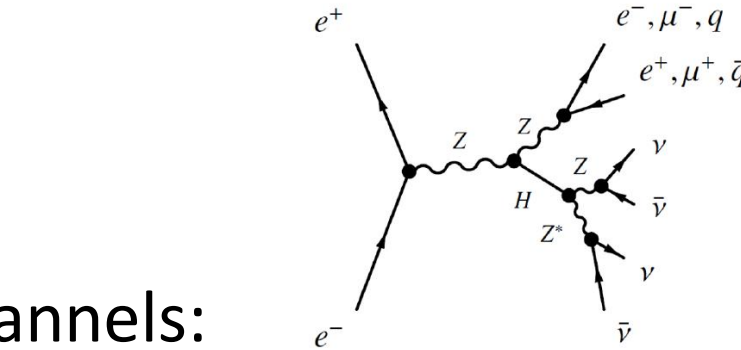
Data sample

➤ The signal channels:

$ZH(Z \rightarrow \mu^+ \mu^-, H \rightarrow \text{invisible}), ZH(Z \rightarrow e^+ e^-, H \rightarrow \text{invisible}), ZH(Z \rightarrow qq, H \rightarrow \text{invisible})$

➤ The background channels:

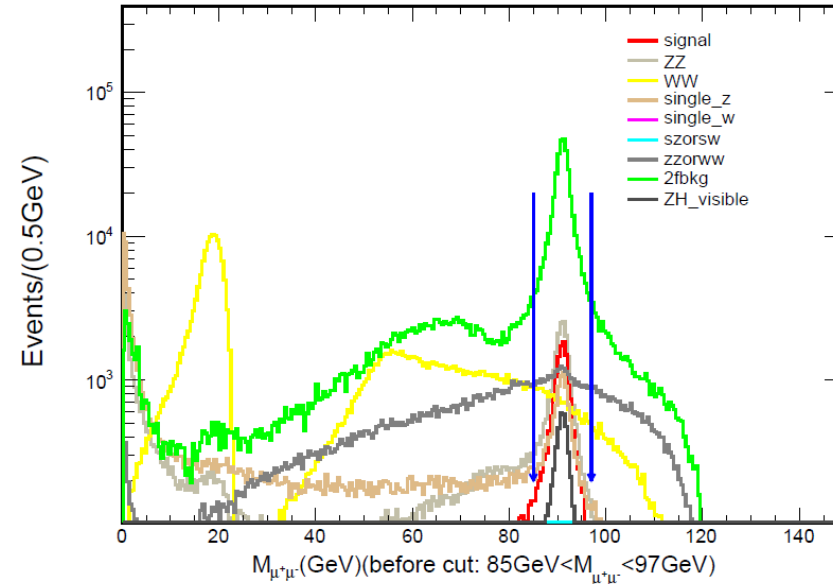
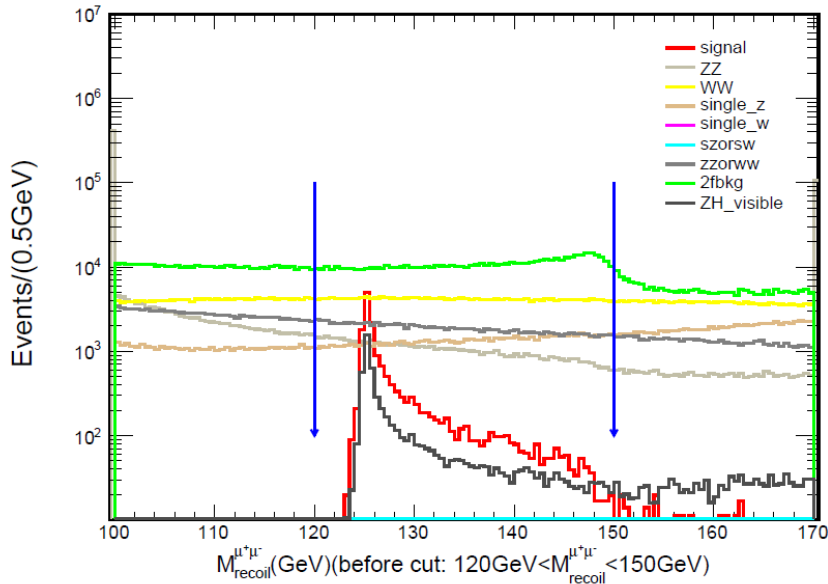
- Two fermion
- Four fermion
- Sample details:



Cross section of major SM processes

<https://gitlab.com/cepc/memo/sample-c4>

Event selection of ZH(Z- $\mu^+\mu^-$, H- \rightarrow invisible) : Suppose BR(H- \rightarrow inv)= 50%



➤ $N_{\mu^+} = 1, N_{\mu^-} = 1$

➤ $85\text{GeV} < M_{\mu^+\mu^-} < 97\text{GeV}$

- $M_{\mu^+\mu^-}$ is the mass of Z boson about 91.2GeV

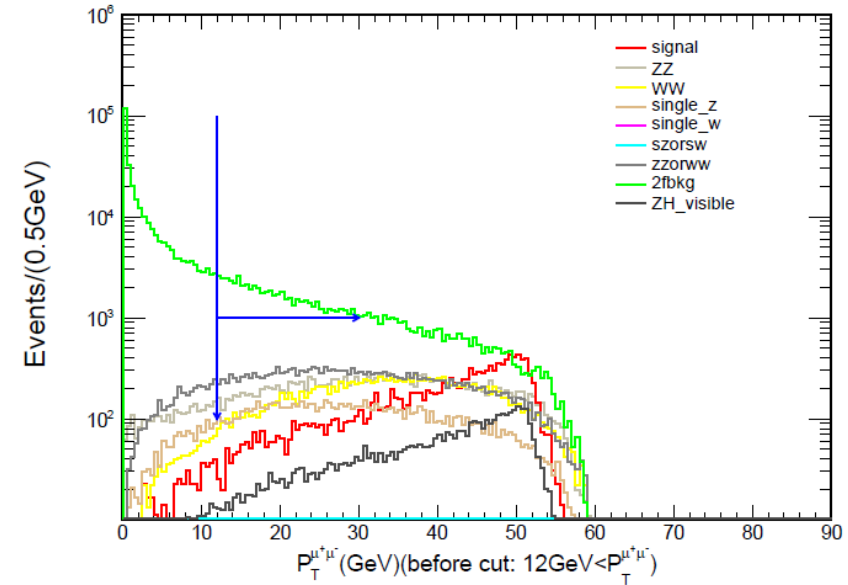
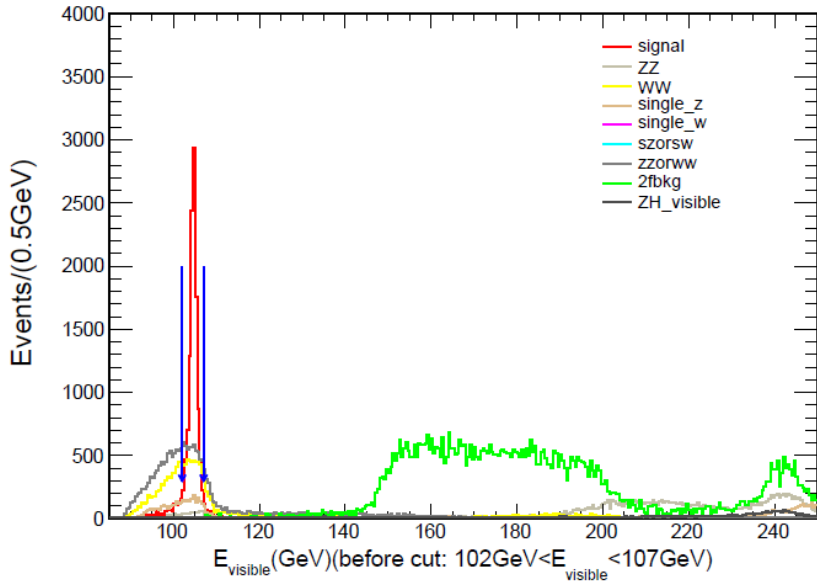
➤ $120\text{GeV} < M_{recoil}^{\mu^+\mu^-} < 150\text{GeV}$

- $M_{recoil}^{\mu^+\mu^-}$ is the mass of Higgs about 125GeV

$$(M_{rec}^{\mu^+\mu^-/e^+e^-})^2 = (\sqrt{s} - E_{\mu^+\mu^-/e^+e^-})^2 - P_{\mu^+\mu^-/e^+e^-}^2 \quad (3)$$

$$M_Z^2 = E_{\mu^+\mu^-/e^+e^-}^2 - P_{\mu^+\mu^-/e^+e^-}^2 \quad (4)$$

Event selection of ZH(Z $\rightarrow\mu^+\mu^-$, H \rightarrow invisible): Suppose BR(H \rightarrow inv)= 50%



➤ $102\text{GeV} < E_{\text{visible}/\mu^+\mu^-} < 107\text{GeV}$

- $M_{\text{Higgs}}^2 = (\sqrt{s} - E_{\mu^+\mu^-})^2 - P_{\mu^+\mu^-}^2$

- From the formula, $E_{\text{visible}/\mu^+\mu^-}$ is around

[91GeV, 115GeV]

➤ $\Delta\phi_{\mu^+\mu^-} < 175^\circ, 12\text{GeV} < P_t^{\mu^+\mu^-}$

- In order to suppress 2 fermion background

The cut flow of $\mu\mu H_{inv}$

The accuracy under BR=50%

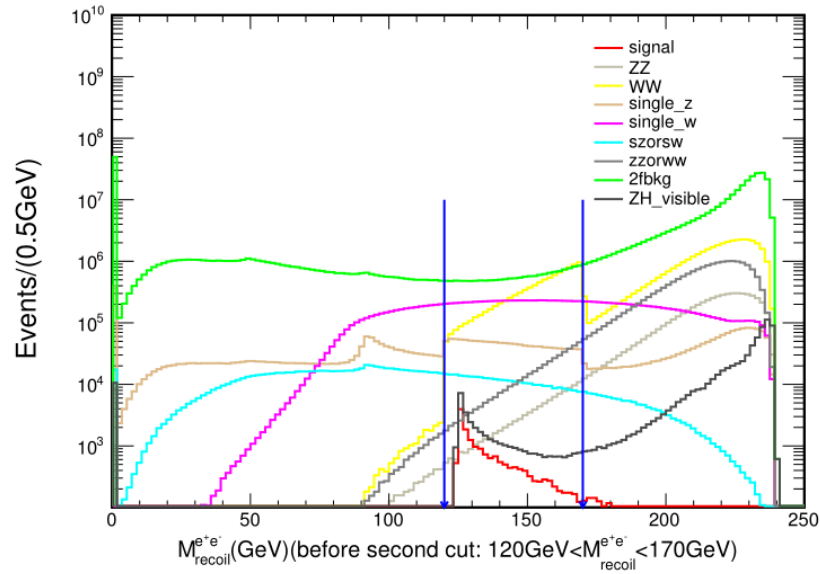
Process	$\mu^+\mu^- H_{inv}$	2f	single_w	single_z	szorsw	zz	ww	zzorww	ZH	total_bkg	$\frac{\sqrt{S+B}}{S}$
Total generated	18956	801152072	19517400	9072951	1397088	6389430	50826214	20440840	1140495	909936490	159.13 %
$N_{\mu^+} = 1, N_{\mu^-} = 1$	16851	22737312	36122	723397	0	702041	1255610	1223595	59978	26738055	30.70 %
$120 GeV < M_{Recoil}^{\mu^+\mu^-} < 150 GeV$	16431	652616	24	81165	0	62389	250796	112141	5680	1164811	6.61 %
$85 GeV < M_{\mu^+\mu^-} < 97 GeV$	13957	381054	0	10576	0	20850	16718	24417	4485	458100	4.92 %
$12 GeV < P_t^{\mu^+\mu^-}$	13522	92197	0	9333	0	18253	15903	21061	4324	161071	3.09 %
$\Delta\phi < 175^\circ$	12990	72196	0	8754	0	17023	14768	20230	4136	137107	2.98 %
$102 GeV < \text{Visible Energy} < 107 GeV$	11365	61	0	1455	0	483	4378	5434	9	11820	1.34 %
$\frac{E_{\mu^+\mu^-}}{P_{\mu^+\mu^-}} < 2.4$	11216	26	0	1343	0	439	3502	4088	5	9403	1.28 %
$ReM_{visdtau} > 230 GeV$	11143	26	0	1338	0	436	66	52	4	1922	1.03 %
Efficiency	58.78 %	0.00 %	0.00 %	0.01 %	0.00 %	0.01 %	0.00 %	0.00 %	0.00 %	0.00 %	

The main remain backgrounds:

- $sznu_l0mumu(\nu_e, \bar{\nu}_e, \mu^+, \mu^-)$ 1338(70%)
- $ZZ_l0mumu(\nu_\tau, \bar{\nu}_\tau, \mu^+, \mu^-)$ 434(23%)

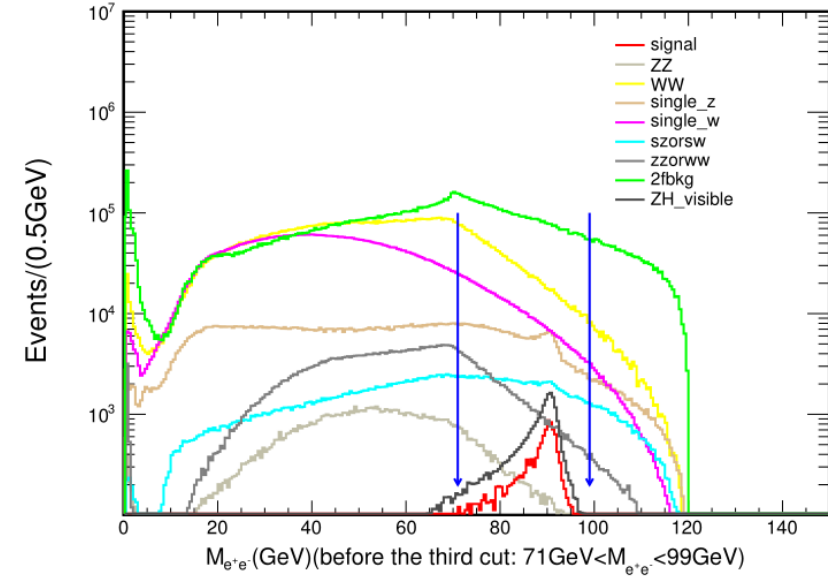
The remain backgrounds are similar to signal $(\nu_e, \bar{\nu}_e, \mu^+, \mu^-)$.

Event selection of $ZH(Z \rightarrow e^+e^-, H \rightarrow \text{invisible})$: Suppose $\text{BR}(H \rightarrow \text{inv}) = 50\%$



➤ $120\text{GeV} < M_{recoil}^{e^+e^-} < 170\text{GeV}$

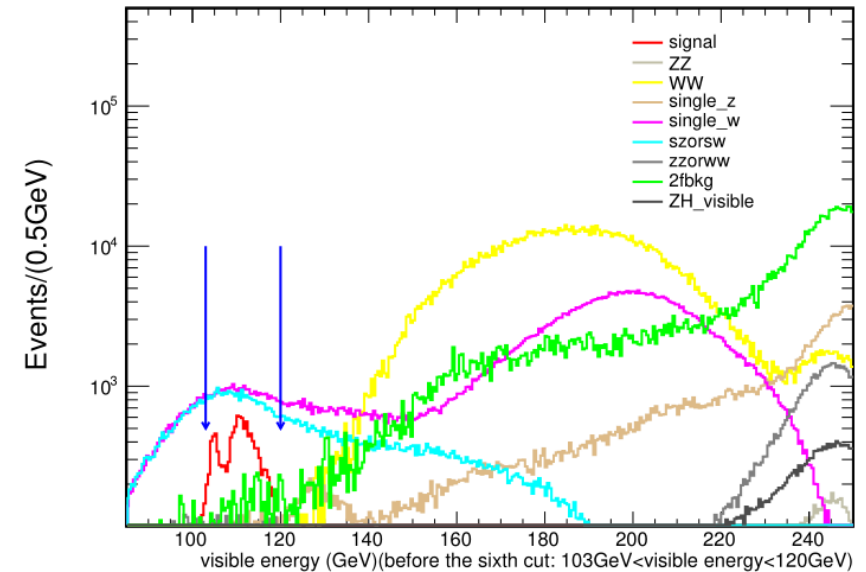
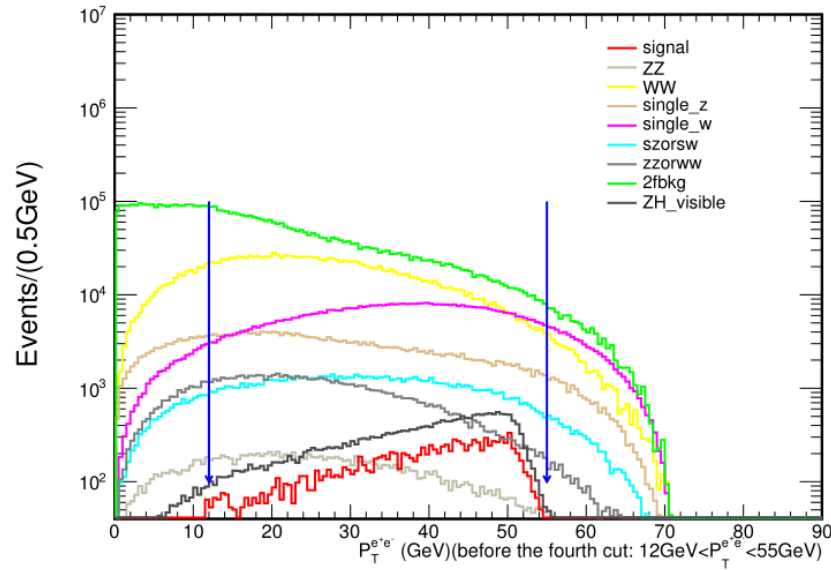
- $M_{recoil}^{\mu^+\mu^-}$ is the mass of Higgs about 125GeV



➤ $71\text{GeV} < M_{e^+e^-} < 99\text{GeV}$

- $M_{\mu^+\mu^-}$ is the mass of Z boson about 91.2GeV

Event selection of ZH(Z- $\rightarrow e^+ e^-$, H- \rightarrow invisible) : Suppose BR(H- \rightarrow inv)= 50%



➤ $\Delta\phi_{e^+e^-} < 176^\circ$, $12\text{GeV} < P_t^{\mu^+\mu^-} < 55\text{GeV}$

➤ $103\text{GeV} < E_{visible} < 120\text{GeV}$

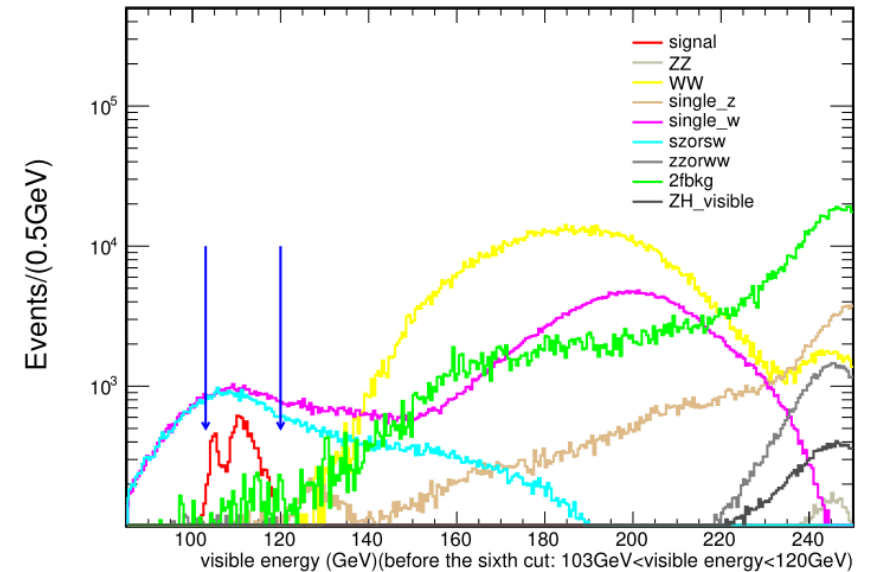
● In order to suppress 2 fermion background ➤ **Impact_Tau < 0.0011**

● Impact_Tau is related with secondary vertex

● This can parameter distinguish between tau and e, μ

Explain the two peaks

- When electron generate a nearby photon.
- The electron and photon will reconstruct into one cluster.
- The track energy of the cluster is the electron - the photon.
- The energy of cluster energy subtract track energy (photon) will become a neutral particle, will appear in the reconstruction algorithm
- Due to the large energy of the cluster, the energy of these neutral particles will be zero or large value, which corresponds to the neutral particle is identified and unidentified.
- This will lead to two peaks at the distribution.



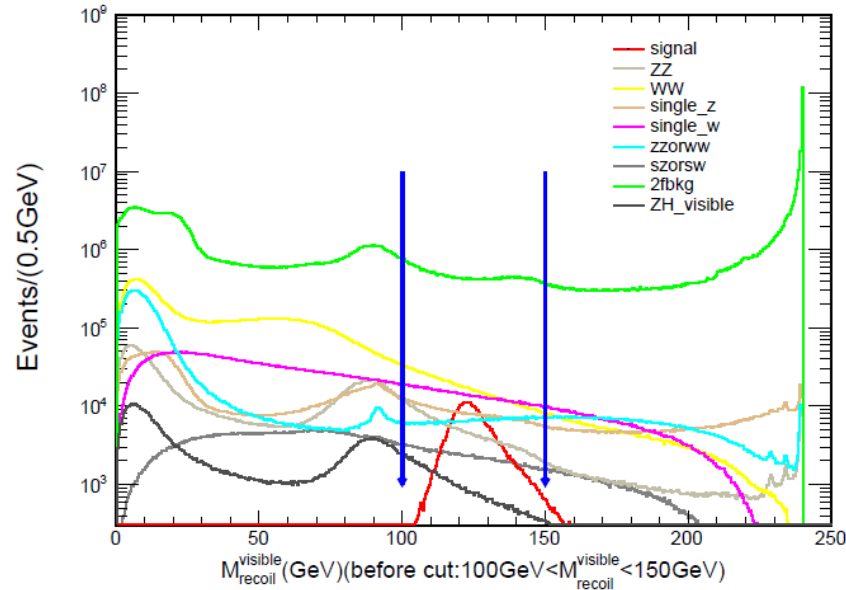
The cut flow of eeH_inv

Process	eeH_invi	2f	single_w	single_z	szorsw	zz	ww	zzorww	ZH	total_bkg	$\frac{\sqrt{S+B}}{S}$
Total generated	19712	801152072	19517400	9072951	1397088	6389430	50826214	20440840	1140495	909936490	153.03 %
$N_{e^+} = 1, N_{e^-} = 1$	18405	389959503	15669806	4931933	1236440	5816250	47812974	18467237	679473	484573616	119.61 %
$120\text{GeV} < M_{recoil} < 170\text{GeV}$	16726	16124629	6286116	1272240	313037	100041	9972681	423152	35389	34527285	35.14 %
$71\text{GeV} < M_{e^+e^-} < 99\text{GeV}$	13677	5382788	647494	324692	113529	15001	1823446	92463	26188	8425601	21.24 %
$12\text{GeV} < P_t^{e^+e^-} < 55\text{GeV}$	13134	3476906	558026	259411	98570	12533	1584475	79506	25162	6094589	18.82 %
$\Delta\phi < 176^\circ$	12566	1230398	516751	238434	94468	10493	1435540	71282	24246	3621612	15.17 %
$103\text{GeV} < \text{VisibleEnergy} < 120\text{GeV}$	11618	4609	30665	3348	27463	56	570	3430	131	70272	2.46 %
$1.8 < \frac{E_{e^+e^-}}{P_{e^+e^-}} < 2.4$	9654	1085	14179	1705	12209	10	215	1127	61	30591	2.08 %
$ReM_{visdtau} > 220$ and $\text{Impact_Tau} < 0.0011$	8641	442	1281	1354	10244	0	19	39	26	13405	1.72 %
Efficiency	43.84 %	0.00 %	0.01 %	0.01 %	0.73 %	0.00 %	0.00 %	0.00 %	0.00 %	0.00 %	

The main remain backgrounds:

- $\text{szorsw_l0l}(e^+, e^-, \nu_e, \bar{\nu}_e)$ 10244(76%)
- $\text{sze_l0nunu}(e^+, e^-, \nu_{\mu,\tau}, \bar{\nu}_{\mu,\tau})$ 1276(10%)

Event selection of ZH(Z->qq,H->invisible) : Suppose BR(H->inv)= 50%

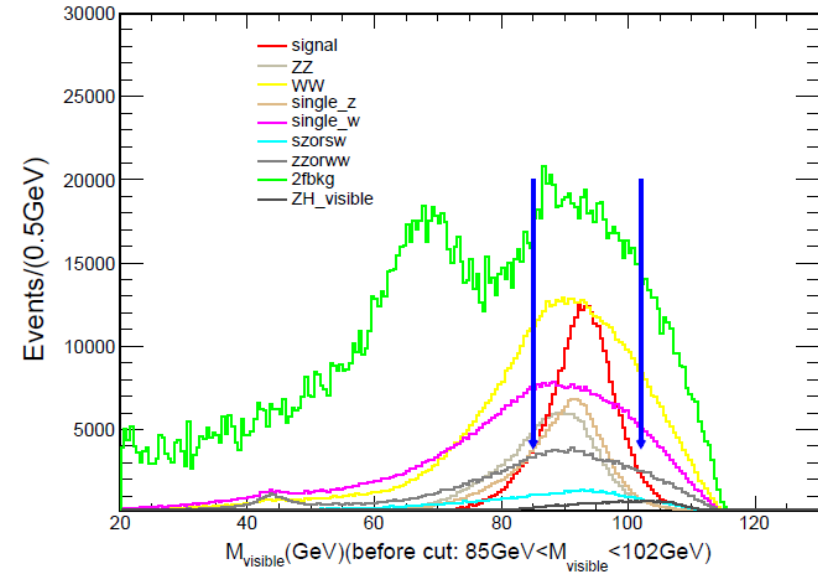


➤ $100\text{GeV} < M_{recoil}^{visible} < 150\text{GeV}$

- $M_{recoil}^{visible}$ is the mass of Higgs about 125GeV

$$(M_{rec}^{visible})^2 = (\sqrt{s} - E_{visible})^2 - P_{visible}^2$$

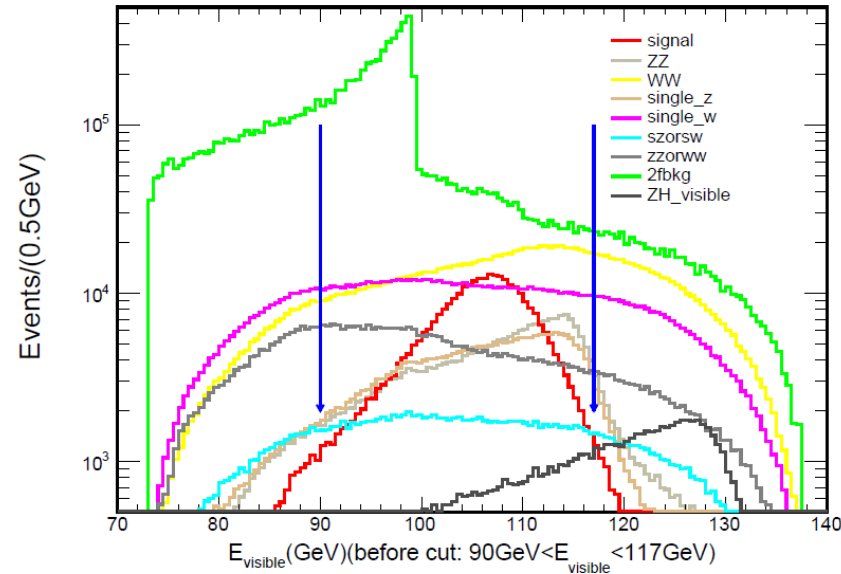
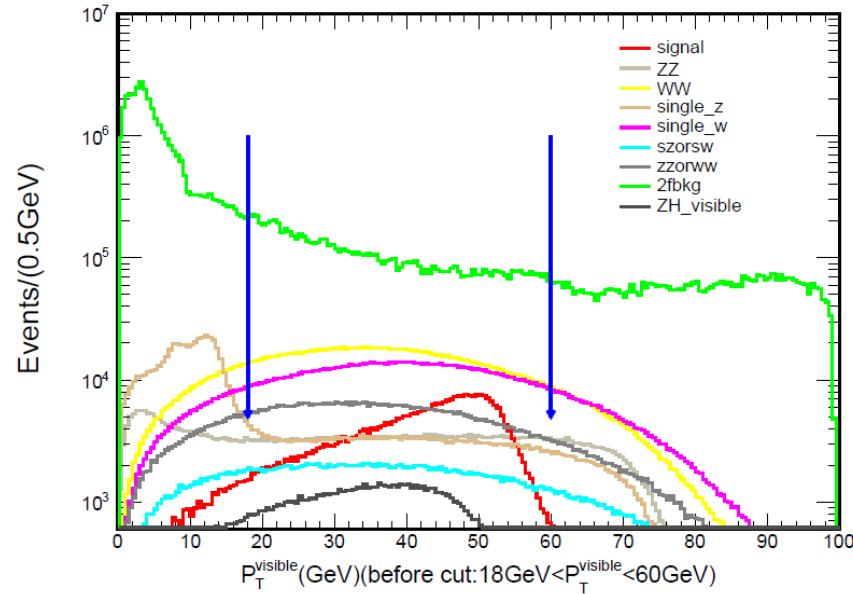
$$M_{visible}^2 = E_{visible}^2 - P_{visible}^2$$



➤ $85\text{GeV} < M_{visible} < 102\text{GeV}$

- $M_{visible}$ is the mass of Z boson about 91.2GeV

Event selection of ZH(Z->qq,H->invisible) : Suppose BR(H->inv)= 50%



➤ $\Delta\phi_{dijet} < 175^\circ$, $18\text{GeV} < P_t^{visible} < 60\text{GeV}$

● In order to suppress 2 fermion background

➤ $90\text{GeV} < \text{visible energy} < 117\text{GeV}$

➤ $N_{\text{IsoMuon}} = 0, N_{\text{IsoElectron}} = 0$

● Isolate package only record isolated particles

The cut flow of qqH_inv

Process	qqh_inv.	2f	single_w	single_z	szorsw	zz	ww	zzorww	ZH_visible	total_bkg	$\frac{\sqrt{S+B}}{S}$
Total generated	383068	801152072	19517400	9072952	1397088	6389429	50826213	20440840	1140496	909936490	7.88 %
100GeV < $M_{recoil}^{visible}$ < 150GeV	369001	47294921	1388874	822725	229216	507558	1752824	658200	97384	52751702	1.98 %
18GeV < $P_T^{visible}$ < 60GeV	335572	9165308	1000761	269323	152273	282624	1294263	462027	79965	12706544	1.08 %
90GeV < $E_{visible}$ < 117GeV	319558	5748711	595694	223044	92958	231050	785389	272515	33705	7983066	0.90 %
85GeV < $M_{visible}$ < 102GeV	268930	605788	238190	148842	39280	135635	392275	113043	18282	1691335	0.52 %
$\Delta\phi_{dijet} < 175^\circ$	259553	390075	230271	141490	38358	129130	379928	109734	17393	1436379	0.50 %
30GeV < $P_{visible}$ < 58GeV	242860	241508	148607	69450	24392	46800	226881	74780	13465	845883	0.43 %
$N_{neutral} > 15$	242341	18081	22594	64324	149	44338	128425	8616	11852	298379	0.30 %
$N_{IsoMuon} = 0, N_{IsoElectron} = 0$	231374	8423	9604	60645	28	41536	76617	6447	9219	212519	0.29 %
Efficiency	60.40 %	0.00 %	0.05 %	0.67 %	0.00 %	0.65 %	0.15 %	0.03 %	0.81 %	0.02 %	



Before version: $N_{neutral} > 15, N_{electron} < 7$.

Due to the version of background and signal data are different and the number of electrons is affected by the reconstruction version, I change the signal version and remove the cut of $N_{electron} < 7$.

Old version:

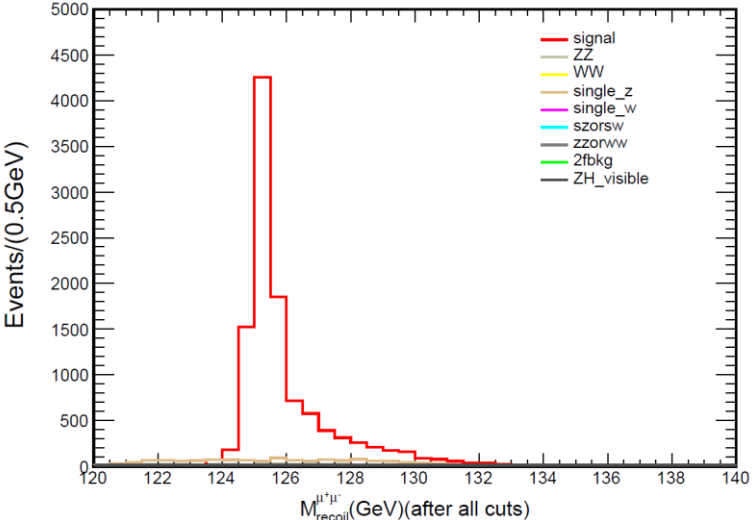
$P_{visible} < 58\text{GeV}$	209722	139241	109114	51235	16966	34630	158955	44160	10161	564462	0.420 %
$N_{neutral} > 15, N_{electron} < 7$	207426	6617	10326	12539	116	9172	35114	5813	3343	83040	0.260 %
$N_{IsoMuon} = 0, N_{IsoElectron} = 0$	206299	1656	3214	11818	22	8513	16819	4362	2433	48837	0.245 %
effectiveness	53.854 %	0.000 %	0.016 %	0.130 %	0.002 %	0.133 %	0.033 %	0.021 %	0.213 %	0.005 %	

$$\frac{\sqrt{S+B}}{B}: 0.25\% \rightarrow 0.29\%$$

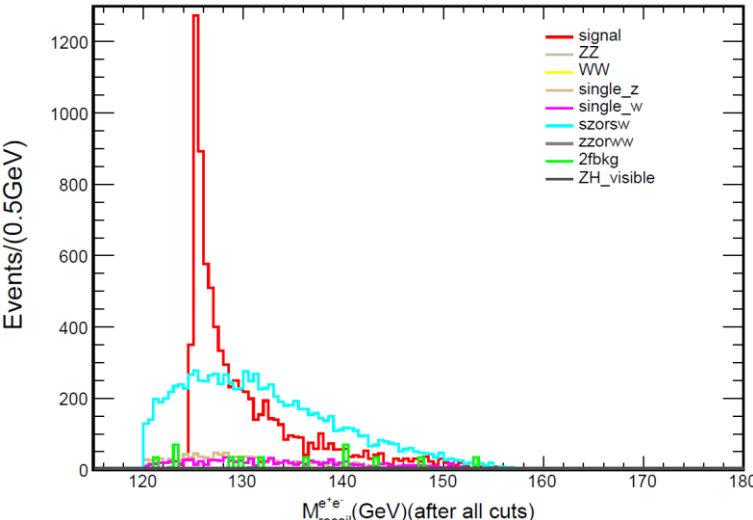
The main remain backgrounds in qqH_inv:

- ν_l, ν_l, q, q : 65151 (43%)
- $\tau, \nu, \text{up, down}$: 46126 (31%)

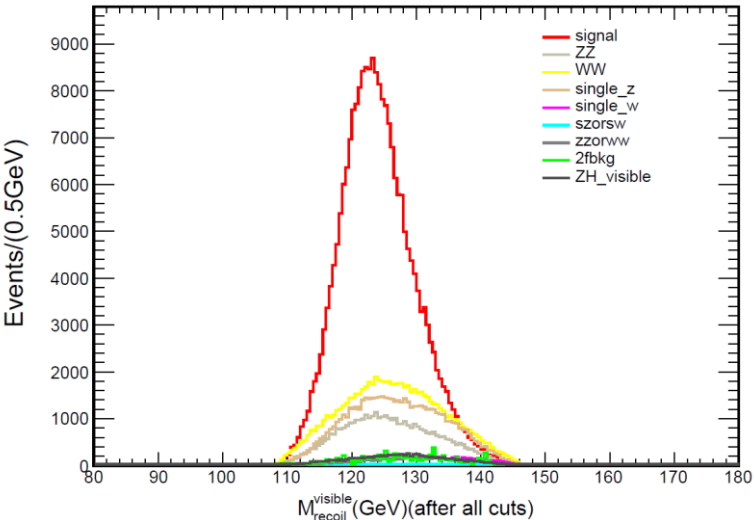
The distribution of recoil mass after cut flow:



ZH(Z-> $\mu^+\mu^-$, H->invisible)



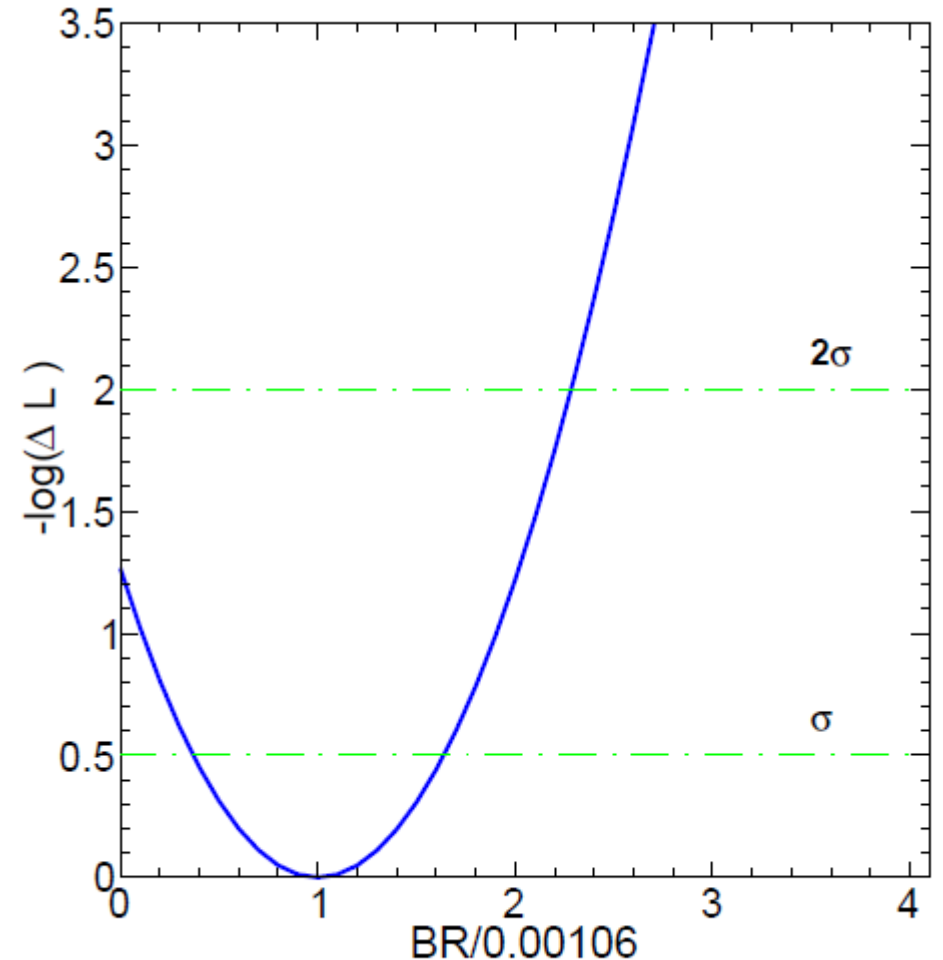
ZH(Z-> e^+e^- , H->invisible)



ZH(Z->qq, H->invisible)

The upper limit – Likelihood Scan

- Method: $\mu S + B$
- Fitting data: get the value and error of μ
- This picture is the likelihood scan result for the combination of three channels, where the green dash line label out the location of 68%/95% confidence level ($-\log(\Delta L)=0.5/2$).



The upper limit under different BR(H->inv.)

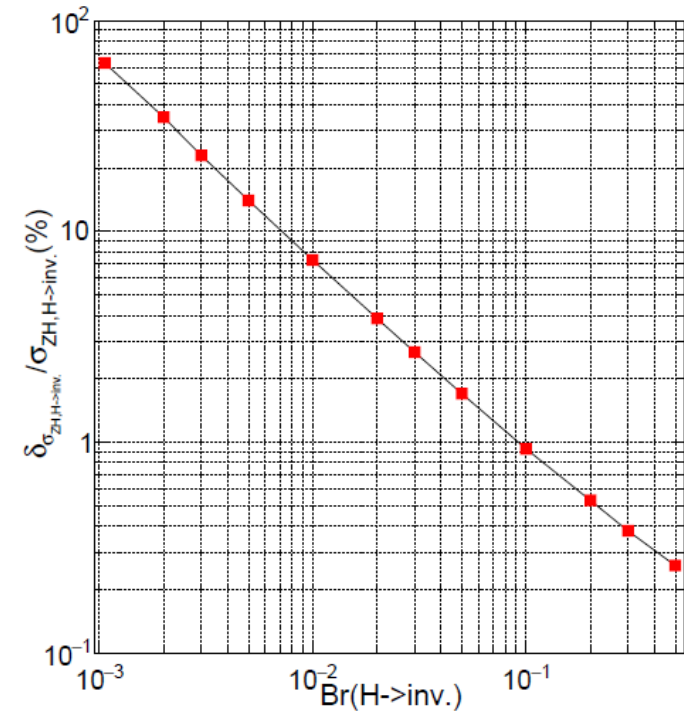
- The precision of the cross section of Higgs decay to

invisible final states $\frac{\delta\sigma_{ZH,H\rightarrow inv.}}{\sigma_{ZH,H\rightarrow inv.}}$ versus BR(H->inv.)

- The BR(H->inv.) is larger, and the precision is higher.

- When BR(H->inv.) = 50%, $\frac{\delta\sigma_{ZH,H\rightarrow inv.}}{\sigma_{ZH,H\rightarrow inv.}}=0.26\%$

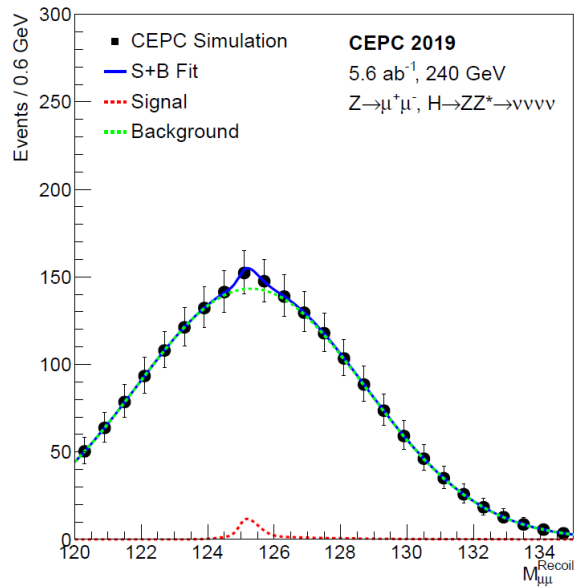
- When BR(H->inv.)=0.106%, $\frac{\delta\sigma_{ZH,H\rightarrow inv.}}{\sigma_{ZH,H\rightarrow inv.}}=63\%$



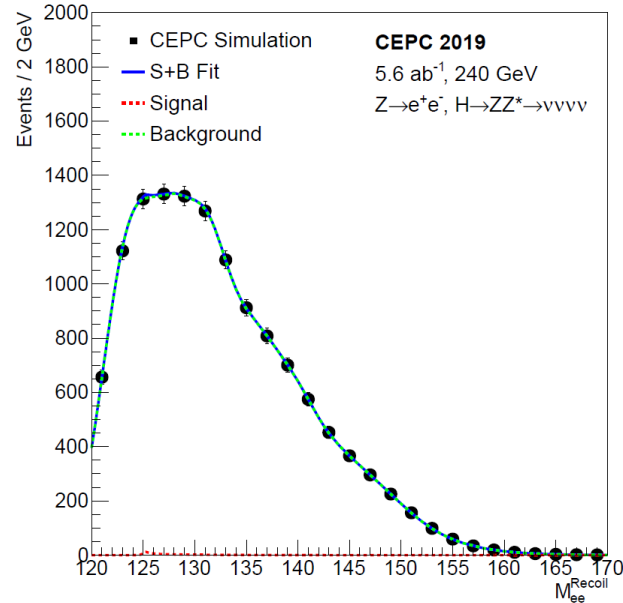
Statistical error of fitting

The result of fitting (Set $BR(H \rightarrow inv) = 0.106\%$ (SM))

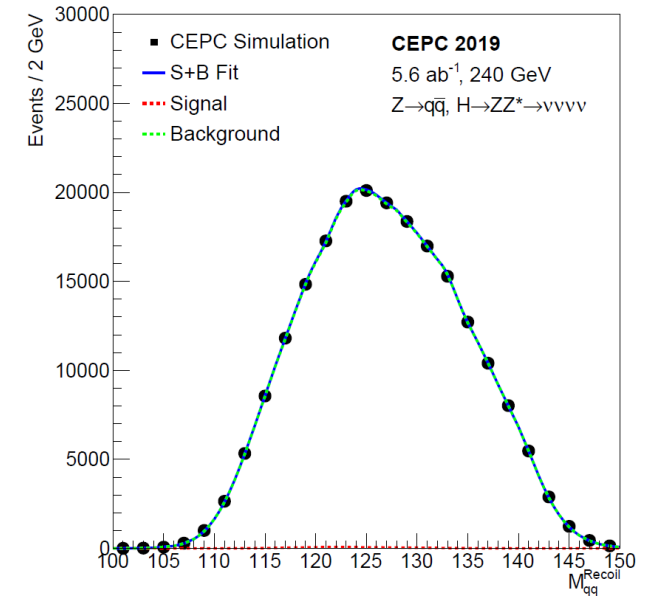
➤ The statistical error of the branching ratio can be obtained by fitting



ZH($Z \rightarrow \mu^+ \mu^-$, $H \rightarrow invisible$)
error: $\sigma_{H \rightarrow inv} = 0.10\%$



ZH($Z \rightarrow e^+ e^-$, $H \rightarrow invisible$)
error: $\sigma_{H \rightarrow inv} = 0.43\%$



ZH($Z \rightarrow qq$, $H \rightarrow invisible$)
error: $\sigma_{H \rightarrow inv} = 0.09\%$

Combine result

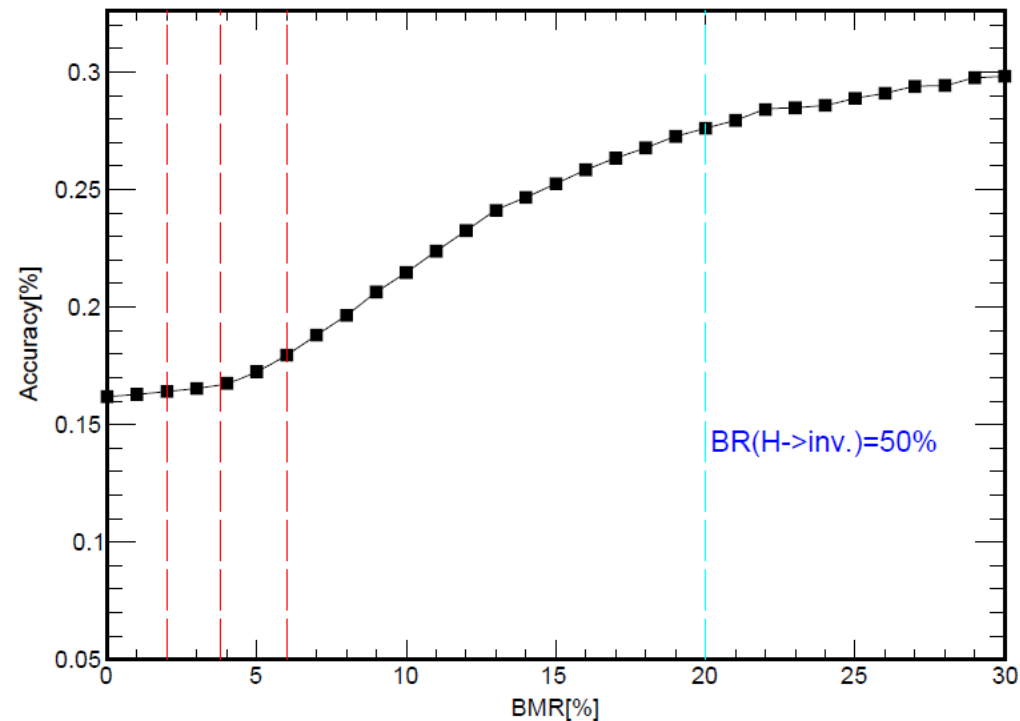
- This table is the expected precision on the measurement of $\sigma(ZH)\times BR(H\rightarrow\text{inv})$ and the 95% confidence-level (CL) upper limit on $BR(H\rightarrow\text{inv})$ from a CEPC dataset of 5.6 ab^{-1}

ZH final state studied	Relative precision on $\sigma(ZH)\times BR$	Upper limit on BR (H→inv.)
$Z\rightarrow e^+e^-, H\rightarrow\text{inv.}$	403%	0.96%
$Z\rightarrow \mu^+\mu^-, H\rightarrow\text{inv.}$	98%	0.31%
$Z\rightarrow q\bar{q}, H\rightarrow\text{inv.}$	85%	0.29%
Combination	63%	0.24%

- The combined branching ratio is measure as $0.106\%\pm 0.067\%$ and the upper limit at 95% confidence level is estimated to be 0.24%.

The BMR of Higgs->invisible

- BMR(Boson mass resolution) of Higgs->invisible under $BR(H \rightarrow \text{inv.})=50\%$
- qqH dominants the precision & rely on recoil mass to separate the ZZ(Z->qq,Z->inv.) bkg
- Essential for qqH analysis, especially H->non jet final state
- If the BMR improves/degrades from 4% to 2%/6%: the Higgs invisible measurement improves/degrades by 2%/11%



Summary

Status:

- Further optimized the event flow and increased its reliability
- Add the precision of cross section of Higgs decay invisible part at different branching ratio
- Add the dependence of accuracy versus BMR
- Update the new result 95%UL. $\text{Br}(H \rightarrow \text{inv.}) = 0.24\%$

Next Plan:

- Complete the paper of Higgs invisible decay
- May consider the affect of some system uncertainties

Thanks a lot